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# A metallurgical approach to individually assess the rheology of alpha and beta phases of Ti-6Al-4V in the two-phase domain

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## Abstract

An original hot torsion procedure is presented using Ti-6Al-4V in the two-phase domain. Kinetics of phase transformation are used to obtain stress-strain curves in *off-equilibrium* states. The individual influences of phase fraction and of temperature are quantitatively assessed in the two-phase domain. Between the two forging temperatures 1143 K (870°C) and 1228 K (955°C), a 95 MPa stress difference is observed. The paper shows that this flow stress drop is mainly due to thermal activation, by 80 MPa, while 15 MPa is due to the change of phase fraction. The stresses in each phase are individually assessed and stress-strain curves for each phase are obtained within the two-phase domain.

*Keywords:* titanium alloys, phase transformation, high-temperature deformation, torsion test

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## 1. Introduction

Due to their considerable resistance to hard solicitations, fatigue, corrosion, and to their low density, titanium alloys today remain major candidates for the production of aeronautic structural parts. Immense effort is devoted to the improvement of the hot forging process of such large-scale parts. Constitutive models, associated with numerical simulation, are powerful tools to optimize forging stages. Empirical and semi-empirical constitutive models, considering thermo-mechanical variables (effective strain  $\bar{\epsilon}$ , strain-rate  $\dot{\bar{\epsilon}}$ , and temperature  $T$ ) are widely used [1–4]. Over last decades, physically-based

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models including internal-state-variables [5–7] and self-consistent models [8, 9] were developed, according to numerous studies regarding deformation mechanisms and metallurgical changes in the material. Among all, phase fraction emerges as a very influent parameter on flow stress, and the alloy’s rheological behavior may be expressed using a rule of mixture (*rom*):

$$\sigma(\bar{\varepsilon}, \dot{\varepsilon}, T) = \text{rom} [\sigma_\alpha(\bar{\varepsilon}, \dot{\varepsilon}, T), \sigma_\beta(\bar{\varepsilon}, \dot{\varepsilon}, T), f_\alpha(T)] \quad (1)$$

where  $\sigma$  is the flow stress of the alloy,  $\sigma_\alpha$  and  $\sigma_\beta$  the individual flow stresses of each phase, and  $f_\alpha$  the volume phase fraction of alpha phase. In the two-phase domain, the temperature dependence of  $\sigma$  is therefore driven by two complementary effects: (i) the change of phase fraction  $f_\alpha(T)$  according to phase equilibrium thermodynamics, and (ii) the temperature dependence of  $\sigma_\alpha(T)$  and  $\sigma_\beta(T)$  due to thermal activation in each phase. This paper presents an experimental procedure to assess those two influences individually.

## 2. Experimental setup for *in-* and *off-equilibrium* torsion testing

Two-phase  $\alpha + \beta$  titanium alloy Ti-6Al-4V was supplied by *TIMET Savoie*. Its chemical composition is given in Table 1. The  $\alpha$  phase volume fraction at room temperature is 92% and the transus temperature ( $\alpha + \beta \rightleftharpoons \beta$ ) is  $T_\beta = 1268 \text{ K}$  (995°C). Hot torsion tests are conducted at the temperatures 1143 K (870°C) and 1228 K (955°C), and at the strain-rate  $\dot{\varepsilon} = 0.5/s$ . These temperatures are in the range of classical forging temperatures, in the two-phase domain. Hot torsion was preferred as it enables large deformation to be reached. This experimental testing is well suited for rheology characterization, as it avoids the presence of friction during testing, unlike compression testing.

The specimens have a cylindrical effective zone (diameter 6mm, length 10mm). In a first series of tests, a classical *in-equilibrium* procedure was conducted. They were heated up using a lamp furnace and held at the desired temperature before deformation, as presented in Fig. 1(a). Protection against oxidation was provided using argon flow. Heating rate is 10 K/s and holding time is 10 min. For preliminary verification of the microstructure, one specimen was water-quenched after holding time (dashed line in Fig. 1(a)). Its microstructure is presented in Fig. 2(b). Dark alpha nodules, as well as

dark alpha lamellae can be observed in a brighter beta matrix. During quenching, the beta phase has transformed into a lamellar  $\alpha + \beta$  structure, while alpha nodules remained unchanged. The volume fraction of alpha phase before quenching can thus be obtained by measuring the volume fraction of alpha nodules on the quenched specimen at room temperature. The values are presented in Fig. 3 using full dots, as well as theoretical values of phase fraction, given by Eq. (2) [10]. The good agreement obtained between the measured values and the theoretical curve shows that thermodynamic equilibrium was indeed reached at the end of the holding time.

$$f_{\alpha}(T) = 0.92 \left( 1 - e^{-0.0085(T_{\beta} - T)} \right) \quad (2)$$

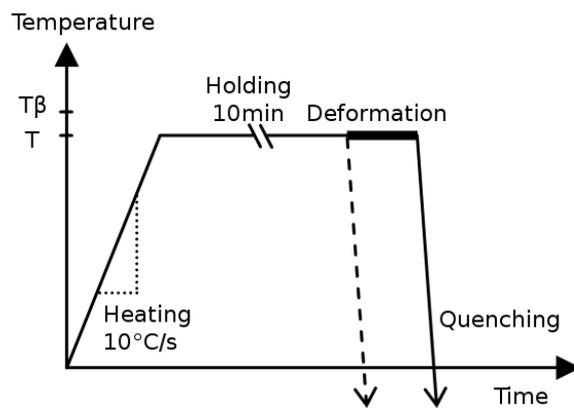
In a second series of tests, the so-called *off-equilibrium* torsion tests, holding time was suppressed, as presented in Fig. 1(b), in order to enable the deformation to start before thermodynamical equilibrium was reached, i.e. when the alloy presents a different phase fraction.

Alpha phase fraction was measured on the quenched specimen (see Fig. 2(a)) in the *off-equilibrium* condition. The values are plotted with white dots in Fig. 3. A difference of about 27% phase fraction was obtained between *in-* and *off-equilibrium* cases at the temperature 1228 K (955°C), and about 12% at the temperature 1143 K (870°C).

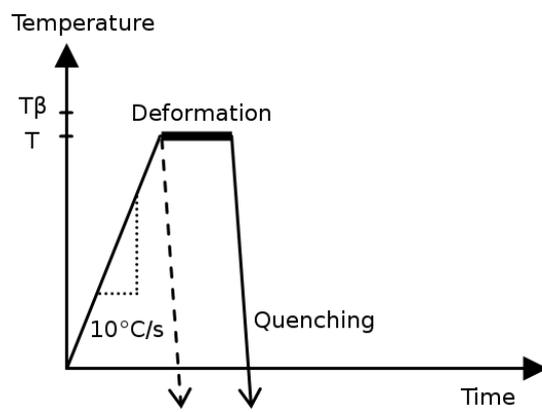
The total deformation duration for each torsion test is 1s. Kinetics of phase transformation are neglected on this duration and phase fractions are therefore considered as constant during the whole deformation. Stress-strain curves are obtained using Fields & Backofen's analysis [11], and the three associated assumptions are discussed in the following: (i) The fully-plastic deformation of the specimen was verified by a visual inspection of post-mortem specimens, by the absence of any localization effect. (ii) The temperature was measured by thermocouples and the increase due to self-heating remained lower than 10 K. Isothermal conditions must be considered for Fields & Backofen's analysis. (iii) The material is assumed to be macroscopically homogeneous and isotropic according to

Al	V	Fe	O	C	N	Ti
6.16	3.98	0.15	0.19	0.015	0.007	remainder

Table 1: Chemical composition of Ti-6Al-4V in weight percent



(a)



(b)

Figure 1: Temperature pattern for (a) *in-* and (b) *off-equilibrium* torsion test

the rather equiaxed aspect of the alpha nodules on Figs. 2(b) and 2(a) and due to the absence of known texture effects in the sample. The final microstructure was observed in Fig. 2(c). It shows that the alpha nodules remain equiaxed after deformation (verification of (i) and (iii) conditions) and that phase fraction is unchanged (verification of the (ii) condition).

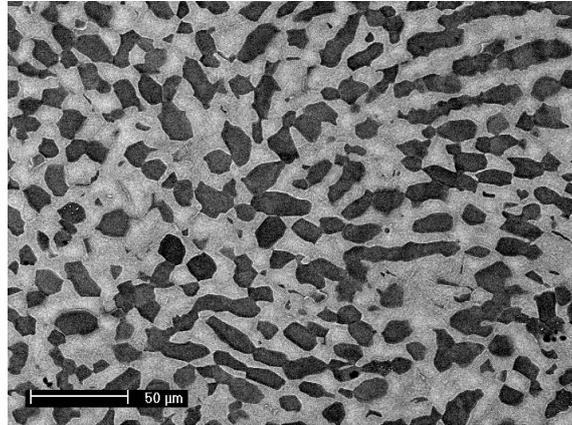
### 3. Analysis of rheological data

#### 3.1. Effects of temperature and phase fraction

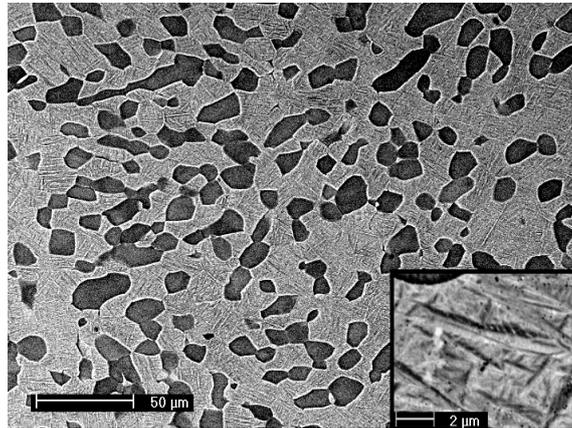
Stress-strain curves were obtained for the two temperatures 1228 K (955°C) and 1143 K (870°C), at equilibrium and *off-equilibrium*. Each condition was repeated three times to ensure reproducibility of the results. Experimental stress-strain curves for the four tested cases are presented in Fig. 4(a). The values of flow stress obtained at equilibrium (in full dots) at both temperatures are in good agreement with literature [7, 12]. At the temperature 1228 K (955°C) the flow stress values obtained in the *off-equilibrium* state ( $f_\alpha = 0.58$ ) are higher than the values obtained at thermodynamical equilibrium ( $f_\alpha = 0.31$ ). A change of  $\Delta f_\alpha = 0.27$  in phase fractions involves a relative difference in flow stress by about 20%, which confirms that phase fraction has a significant influence on rheology [9]. At the temperature 1143 K (870°C), both values of flow stress are roughly comprised in the same range [160-170] MPa. In this case, the difference of phase fraction obtained using the experimental procedure at this temperature ( $\Delta f_\alpha = 0.12$ ) was probably not sufficient to involve a significant effect on rheology.

Strain hardening and softening effects are rather moderate at such temperatures and strain rate. However, a slight difference in the strain hardening and softening behaviours can be observed at the beginning of the stress-strain curves. It was shown [5, 13] that the presence of a peak in flow stress tends to vanish over transus temperature, i.e. in pure beta phase. In Fig. 4(a), the curves at highest values of  $f_\alpha$  exhibit a sharper change of slope than the ones at the low  $f_\alpha$ . This result confirms that, in the two-phase domain, the presence of a peak can also be attributed to the behaviour of the alpha phase.

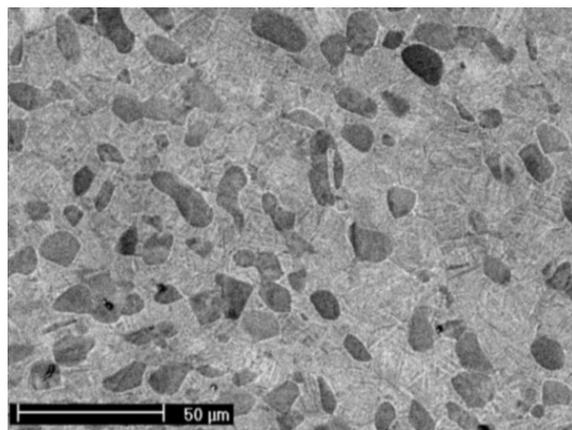
On Fig. 3, let us note that phase fractions measured at 1143 K (870°C) at equilibrium, and at 1228 K (955°C) *off-equilibrium* are very similar, respectively equal to 0.62 and 0.58. By assuming that both phase fractions are equal, it is possible to deduce the



(a) Before holding



(b) After 10' holding at 1228 K (955°C)



(c) After 10' holding and deformation

Figure 2: Microstructure obtained by quenching from the temperature 1228 K (955°C), at different instants, using back-scattered electron microscopy 6

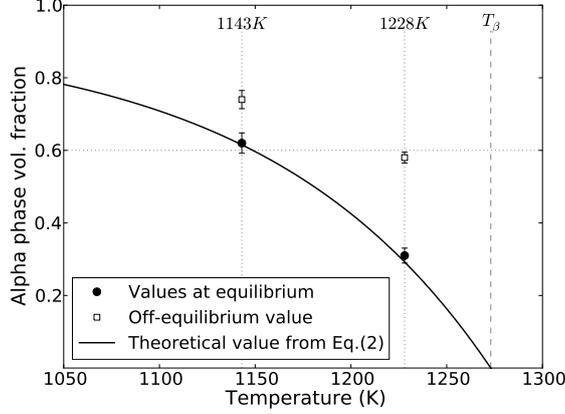


Figure 3: Measured primary alpha phase fractions *vs.* temperature

effect of a pure temperature increase, regardless of phase fraction. The flow stress of the alloy drops of about 80 MPa due to temperature increase. The further natural phase transformation then continues reducing flow stress by 15 MPa, to reach the final value 65 MPa at thermodynamical equilibrium.

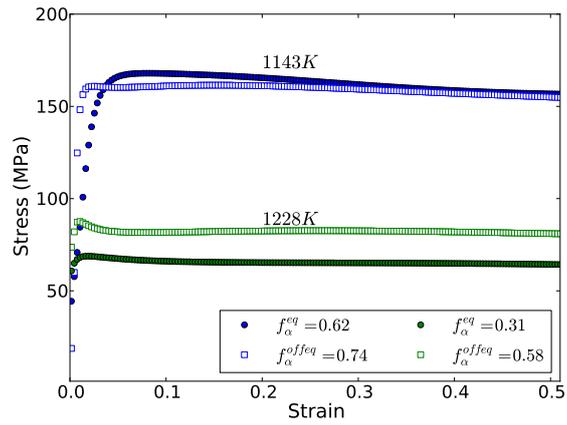
To summarize, the total flow stress reduction of 95 MPa due to heating alloy from 1143 K (870°C) to 1228 K (955°C) (at thermodynamic equilibrium) is due for 84% to pure thermal activation and for 16% to phase change.

### 3.2. Stress-strain curves in each individual phase

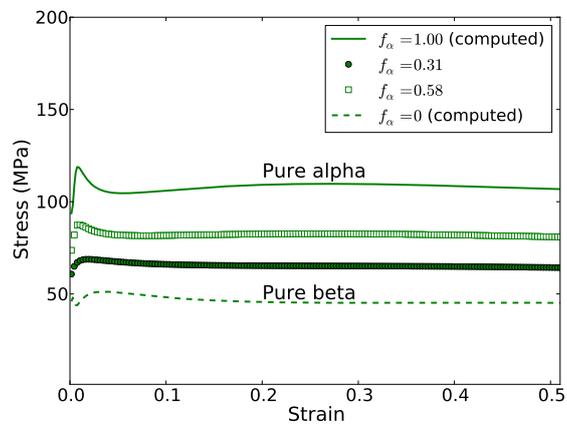
The overall flow stress of two-phase alloys can be expressed, in a first approximation, as a linear combination of individual flow stresses in each phase [7, 12, 13]. At a given temperature, the stress of the alloy in each case (equilibrium or *off-equilibrium*) is thus expressed as

$$\begin{aligned}
 \sigma(T)^{eq} &= \sigma_{\alpha}(T)f_{\alpha}^{eq} + \sigma_{\beta}(T)[1 - f_{\alpha}^{eq}] \\
 \sigma(T)^{off\,eq} &= \sigma_{\alpha}(T)f_{\alpha}^{off\,eq} + \sigma_{\beta}(T)[1 - f_{\alpha}^{off\,eq}]
 \end{aligned} \tag{3}$$

with  $\sigma_{\alpha}(T)$  and  $\sigma_{\beta}(T)$  the stress in each phase, respectively.  $\sigma(T)^{eq}$  and  $\sigma(T)^{off\,eq}$  are the flow stress that were measured by torsion testing at equilibrium and *off-equilibrium*. At the temperature 1228 K (955°C), the resolution of this linear system provides values for individual stresses  $\sigma_{\alpha}(1228\text{ K})$  and  $\sigma_{\beta}(1228\text{ K})$ . The values are plotted in Fig. 4(b) for the whole range of strain  $\bar{\varepsilon} = [0 - 0.5]$ . This figure verifies that the beta phase has a lower flow stress than alpha phase, which is in good agreement with literature [9, 13]. It



(a)



(b)

Figure 4: Stress-strain curves: (a) experimental data at various tested temperatures and phase fractions, and (b) experimental and computed data at 1228 K (955°C) for pure alpha and beta phases

is additionally found that the flow stress of pure beta phase has a value by about 60% lower than that of pure alpha phase at the temperature 1228 K (955°C). An evaluation of individual phase behaviours is also pointed out. It also verifies the presence of a sharp peak for the rheology of alpha phase, and a relatively smooth change of slope in the rheology of beta phase, as shown in [5, 13].

In order to better predict the behaviour of the two-phase material, the linear form used in Eq. (3) in a first approximation might obviously be improved. For example, the absence of significant difference between both flow stresses *in-* and *off-equilibrium* at the lower temperature 1143 K (870°C) cannot be predicted using Eq. (3). Additional rheological data might be obtained using the presented procedure of *off-equilibrium* torsion testing, at various temperatures, and by varying phase fraction values using different holding times. It is worth noticing that kinetics of phase dissolution are a key parameter to take into account in the experimental procedure. The difference of phase fraction is obtained by a competition between heating rate and  $\alpha \rightarrow \beta$  phase transformation. A fast heating device is therefore recommended. Let us also note that initial microstructure (equiaxed or lamellar structure, grain size, etc.) has a non-negligible impact on phase transformation kinetics. A fully-equiaxed initial microstructure shall be preferred rather than a bi-modal or lamellar microstructure. Slower kinetics of phase transformation also help to better satisfy the assumption of constant phase fraction during deformation.

#### 4. Conclusions

The original experimental procedure consists in performing hot torsion tests in *off-equilibrium* conditions, by dealing with kinetics of phase transformation within the two-phase domain of Ti-6Al-4V alloy. It is possible to obtain stress-strain curves for two different phase fractions, at constant temperature. It is also possible to obtain stress-strain curves at two different temperatures, for a constant phase fraction. Using such rheological data, it is therefore possible to individually assess rheological behaviours of each phase. The results for Ti-6Al-4V show that, between the two forging temperatures 1143 K (870°C) and 1228 K (955°C), the 95 MPa stress difference that is obtained is mainly due to thermal activation, by 80 MPa, while 15 MPa is due to the change of phase fractions. The obtained stress-strain curves were also used to provide an individual

evaluation of both phase rheologies within the two-phase domain. It was shown that, for Ti-6Al-4V at 1228 K (955°C), the flow stress of beta phase is about 60% lower than that of alpha phase.

This metallurgical approach shows great potential to be adapted for further two-phase alloys.

## 5. Acknowledgements

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- [1] C.M. Sellars and W.J. McTegart. On the mechanism of hot deformation. *Acta Metallurgica*, 14(9):1136 – 1138, 1966.
- [2] A. Hensel and T. Spittel. Kraft- und arbeitsbedarf bildsamer formgebungsverfahren, Leipzig, 1978.
- [3] G. R. Johnson and W. H. Cook. A constitutive model and data for metals subjected to large strains, high strain rates and high temperatures. In *Proceedings of the 7th International Symposium on Ballistics*, volume 21, pages 541–547. The Hague, Netherlands: International Ballistics Committee, 1983.
- [4] J. H. Sung, J. H. Kim, and R. H. Wagoner. A plastic constitutive equation incorporating strain, strain-rate, and temperature. *International Journal of Plasticity*, 26(12):1746–1771, 2010.
- [5] P. Vo, M. Jahazi, S. Yue, and P. Bocher. Flow stress prediction during hot working of near-alpha titanium alloys. *Materials Science and Engineering A*, 447(1-2):99–110, 2007.
- [6] X.G. Fan and H. Yang. Internal-state-variable based self-consistent constitutive modeling for hot working of two-phase titanium alloys coupling microstructure evolution. *International Journal of Plasticity*, 27(11):1833–1852, 2011.
- [7] J. Luo, M. Li, X. Li, and Y. Shi. Constitutive model for high temperature deformation of titanium alloys using internal state variables. *Mechanics of Materials*, 42(2):157 – 165, 2010.
- [8] S.L. Semiatin, F. Montheillet, G. Shen, and J.J. Jonas. Self-consistent modeling of the flow behavior of wrought alpha/beta titanium alloys under isothermal and nonisothermal hot-working conditions. *Metallurgical and Materials Transactions A: Physical Metallurgy and Materials Science*, 33(8):2719–2727, 2002.
- [9] J.H. Kim, S.L. Semiatin, Y.H. Lee, and C.S. Lee. A self-consistent approach for modeling the flow behavior of the alpha and beta phases in Ti-6Al-4V. *Metallurgical and Materials Transactions A: Physical Metallurgy and Materials Science*, 42(7):1805–1814, 2011.
- [10] R. Castro and L. Seraphin. Contribution à l'étude métallographique et structurale de l'alliage de titane TA6V. *Mém. Scient. Rev. Métallurg. LXIII*, 12:1025–1058, 1966.
- [11] D.F. Fields and W.A. Backofen. Determination of strain-hardening characteristics by torsion testing. *Proceedings of the 6th annual meeting of the society ASTM*, 57:1259–72, 1957.
- [12] Ji Kang Zhong, Matthew S. Dargusch, and Chris H.J. Davies. Modelling the high temperature deformation of Ti-6Al-4V. *Materials Science Forum*, 654 - 656:879–882, 2010.
- [13] A. Colin, C. Desrayaud, M. Mineur, and F. Montheillet. A physically based flow rule for the simulation of Ti-6Al-4V forging in the  $\alpha$ - $\beta$  range. In *Materials science forum*, volume 539, pages 3661–3666. Trans Tech Publ, 2007.